

```

In[ ]:= SecantMWI[x0_, x1_, n_, f_] :=
Module[{xk, xk1, xk2}, xk = N[x0]; xk1 = N[x1];
i = 0;
Output = {};
While[i < n,
xk2 = (xk * f[xk1] - xk1 * f[xk]) / (f[xk1] - f[xk]);
interval =
"[" <> ToString[NumberForm[xk, 12]] <> ", " <> ToString[NumberForm[xk1, 12]] <> "]" ;
xk = xk1; xk1 = xk2;
i++;
Output = Append[Output, {i, interval, xk2, f[xk2]}];];
Print[NumberForm[
TableForm[Output, TableHeadings -> {None, {"i", "Interval", "xi", "f[xi]"}}, 8]];
Print["Root after ", n, " iterations = ", NumberForm[xk2, 8]];
Print["Function value at approximate root, f[xi] = ", NumberForm[f[xk2], 8]];];

```

### Question 1

$f[x_] := x^3 - 5x + 1;$

SecantMWI[0, 1, 6, f]

i	Interval	xi	f[xi]
1	[0., 1.]	0.25	-0.234375
2	[1., 0.25]	0.18644068	0.074277312
3	[0.25, 0.186440677966]	0.20173626	-0.00047111617
4	[0.186440677966, 0.201736256179]	0.20163985	$-8.642293 \times 10^{-7}$
5	[0.201736256179, 0.201639852891]	0.20163968	$1.0352719 \times 10^{-11}$
6	[0.201639852891, 0.201639675721]	0.20163968	$-2.220446 \times 10^{-16}$

Root after 6 iterations = 0.20163968

Function value at approximate root,  $f[xi] = -2.220446 \times 10^{-16}$

### Question 2

$f[x_] := \text{Cos}[x] - x * \text{Exp}[x];$

SecantMWI[0, 1, 8, f]

i	Interval	xi	f[xi]
1	[0., 1.]	0.31466534	0.51987117
2	[1., 0.314665337801]	0.44672814	0.20354478
3	[0.314665337801, 0.446728144591]	0.53170586	-0.042931093
4	[0.446728144591, 0.531705860645]	0.51690447	0.0025927631
5	[0.531705860645, 0.516904467567]	0.51774747	0.000030111941
6	[0.516904467567, 0.517747465271]	0.51775737	$-2.1513165 \times 10^{-8}$
7	[0.517747465271, 0.517757370754]	0.51775736	$1.7807977 \times 10^{-13}$
8	[0.517757370754, 0.517757363682]	0.51775736	$-3.3306691 \times 10^{-16}$

Root after 8 iterations = 0.51775736

Function value at approximate root,  $f[xi] = -3.3306691 \times 10^{-16}$

### Question 3

$f[x_] := x^4 - 3 * x^2 + x - 10;$

SecantMWI[2, 3, 7, f]

i	Interval	xi	f[xi]
1	[2., 3.]	2.0784314	-2.2198625
2	[3., 2.07843137255]	2.119995	-1.1637008
3	[2.07843137255, 2.11999499205]	2.1657906	0.096032538
4	[2.11999499205, 2.16579064846]	2.1622995	-0.0036507762
5	[2.16579064846, 2.16229953415]	2.1624274	-0.000010786812
6	[2.16229953415, 2.16242739183]	2.1624278	$1.2174048 \times 10^{-9}$
7	[2.16242739183, 2.1624277073]	2.1624278	$1.7763568 \times 10^{-15}$

Root after 7 iterations = 2.1624278

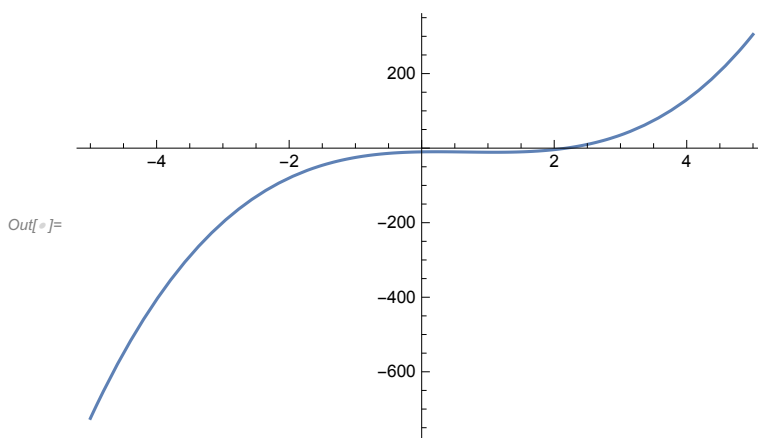
Function value at approximate root,  $f[xi] = 1.7763568 \times 10^{-15}$

#### Question 4

In[ ]:=

$f[x_] := 4 * x^3 - 8 * x^2 + 3 * x - 10;$

Plot[f[x], {x, -5, 5}]



In[ ]:= SecantMWI[0, 2, 8, f]

i	Interval	xi	f[xi]
1	[0., 2.]	3.3333333	59.259259
2	[2., 3.33333333333]	2.0843091	-2.2820009
3	[3.33333333333, 2.08430913349]	2.130624	-1.2362271
4	[2.08430913349, 2.13062398529]	2.1853736	0.097391729
5	[2.13062398529, 2.18537356592]	2.1813753	-0.0036503741
6	[2.18537356592, 2.18137530485]	2.1815198	-0.000010127519
7	[2.18137530485, 2.18151975105]	2.1815202	$1.0581083 \times 10^{-9}$
8	[2.18151975105, 2.18152015292]	2.1815202	$1.7763568 \times 10^{-15}$

Root after 8 iterations = 2.1815202

Function value at approximate root,  $f[xi] = 1.7763568 \times 10^{-15}$